# Outer-Loop Vectorization Legality Analysis for LLVM

One Step Closer to a Production Vectorizer, the <u>Region Vectorizer</u>

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Thanks to Simon Moll for guiding me through this research!

# Still in Early Development

You can follow it on <a href="mailto:github.com/baziotis/llvm-project/tree/feature/lda">github.com/baziotis/llvm-project/tree/feature/lda</a>

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- Possibly already contains pieces of novel work

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- Provide finer-grained interface (e.g. pairs of instructions)

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- Later I found out that most of this work was already published in [1]

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;  $j < N$ ; ++ $j$ )  
A[ $j$ ] = A[ $j + 1$ ];

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- This idea extends to N dimensions
  - When the memory access vector "looks" to previous iterations

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#### Recent work:

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- If at least one causes dependence, the vectorization factor is the distance in the dimension you're vectorizing.
  - Falls back to 2D tests.
- Otherwise, it's vectorizable for any factor

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- View the imperfect nest as a tree
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- Take the minimum vectorization factor

# Future!

- Cost-Modeling (with Machine Learning)
- Analysis for Tensorization
- Loop Transformation Framework

# Thank you!

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