

# Super-optimizing LLVM IR

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DeepBlueCapital / CNRS

Thanks to  
**Google**  
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# Super optimization

- Optimization → Improve code

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- Optimization → Improve code
- Super-optimization → Obtain perfect code

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Super-optimization → automatically find code improvements

Idea from LLVM OpenProjects web-page  
(suggested by John Regehr)

# Goal

Automatically find simplifications missed by the LLVM optimizers

- And have a human implement them in LLVM

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Directly optimize programs

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# Non goal

~~Directly optimize programs~~

- It doesn't matter if the simplifications found are sometimes wrong

# Examples

Missed simplifications found in “fully optimized” code:

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- non-negative number + power-of-two  $\neq 0 \rightarrow \text{true}$

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Missed simplifications found in “fully optimized” code:

- $X - (X - Y) \rightarrow Y$       Not done because of operand uses
- $(X << 1) - X \rightarrow X$       Not done because of operand uses
- non-negative number + power-of-two  $\neq 0 \rightarrow \text{true}$       New!

# Process

- Compile program to bitcode

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Repeat

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- Compile program to bitcode
  - Run optimizers on bitcode
  - Harvest interesting expressions
  - Analyse them for missing simplifications
  - Implement the simplifications in LLVM
  - Profit!
- Repeat
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# Process

- Compile program to bitcode
  - Run optimizers on bitcode
  - Harvest interesting expressions
  - Analyse them for missing simplifications
  - Implement the simplifications in LLVM
  - Profit!
- Repeat

Inspired by “Automatic Generation of Peephole Superoptimizers”  
by Bansal & Aiken (Computer Systems Lab, Stanford)

# Harvesting

```
$ opt -load=./harvest.so -std-compile-opts -harvest -details \
    -disable-output bzip2.bc
@07:@09
{
; In function: "mainGtU()", BB: "entry"
%0 = zext i32 %il to i64
}
07:@07:@3c:12:@3c:@06:@07:24:28:20:@29
{
; In function: "bsPutUInt32()", BB: "bsW.exit"
%28 = lshr i32 %u, 16
%29 = and i32 %28, 255
%49 = sub i32 24, %48 ; From BB: "bsW.exit24"
%50 = shl i32 %29, %49           ; From BB: "bsW.exit24"
%51 = or i32 %50, %47 ; From BB: "bsW.exit24"
}
...
...
```

# Harvesting

Plugin pass that harvests code sequences

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}
...
...
```

# Harvesting

Harvest code sequences after running standard optimizers

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}
...
...
```

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$ opt -load=./harvest.so -std-compile-opts -harvest -details \
    -disable-output bzip2.bc
@07:@09
{
; In function: "mainGtU()", BB: "entry" Code sequences
%0 = zext i32 %i1 to i64 }
}
07:@07:@3c:12:@3c:@06:@07:24:28:20:@29
{
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%28 = lshr i32 %u, 16
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```

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}
...
}
```

Code sequences

Code sequence = maximal connected subgraph of the LLVM IR containing only supported operations

# Harvesting

```
$ opt -load=./harvest.so -std-compile-opts -harvest -details \
    -disable-output bzip2.bc
@07:@09 ← Normalized expressions
{
; In function: "mainGtU()", BB: "entry"
%0 = zext i32 %il to i64
}
07:@07:@3c:12:@3c:@06:@07:24:28:20:@29
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}
...
}
```

Explanatory annotations  
(ignored)

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...
...
```

Normalized & encoded form allows textual comparisons:

```
$ opt -load=./harvest.so -std-compile-opts -harvest \
    -disable-output bzip2.bc | sort | uniq -c | sort -r -n
 265 @00:07:@2b
 178 @01:07:@0f
 120 @00:@07:@2b
...
...
```

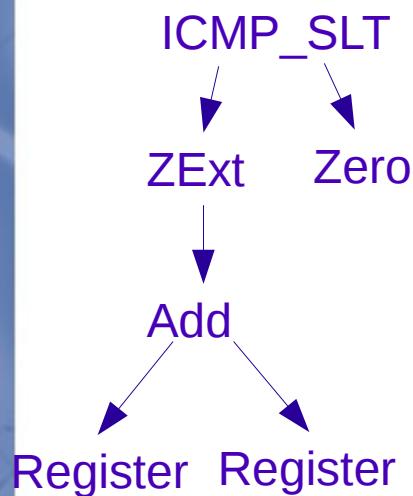
} Ordered by frequency of occurrence

# Harvesting

Most common expressions in unoptimized bitcode from the LLVM testsuite:

07:0a	$\rightarrow \text{sext } X$	sext = sign-extend
00:07:2c	$\rightarrow X \neq 0$	
07:09	$\rightarrow \text{zext } X$	zext = zero-extend
05:07:0f	$\rightarrow X +\text{nsw } -1$	+nsw = add with no-signed wrap
00:07:2b	$\rightarrow X == 0$	
07:07:13	$\rightarrow X -\text{nsw } Y$	-nsw = sub with no-signed wrap
07:07:32	$\rightarrow X \geq_s Y$	$\geq_s$ = signed greater than or equal
01:07:0f	$\rightarrow X +\text{nsw } 1$	
06:07:0a:16	$\rightarrow (\text{sext } X) * \text{power-of-2}$	power-of-2 = constant that is a power of two

# Expressions



- Directed acyclic graph - no loops!
- Integer operations only - no floating point!
- No memory operations (load/store)!
- No types!
- Limited set of constants (eg: Zero, One, SignBit)

Most integer operations supported (eg: `ctlz`, overflow intrinsics). Doesn't support byteswap (because of lack of types).

# Analysing expressions

Four modes:

- Constant folding
- Reduce to sub-expression
- Unused variables
- Rule reduction

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 $\text{zext } x < s 0 \rightarrow 0$  (i.e. false)
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$((x + z) * nsw y) / s y \rightarrow x + z$

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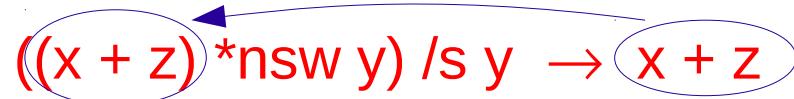
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$$x - (x + y) \rightarrow 0 - y$$

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Result does not depend on x  
Can replace x with (eg) 0

- Rule reduction

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Repeatedly apply rules from a list.

Search minimum of cost function.

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Rafael Auler's  
GSOC project

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Fast!

Always a win!

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Repeatedly apply rules from a list.  
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Fast!

Fast!

Fast!

Slow!

Always a win!

Often a win!

Sometimes a win!

Work in progress!

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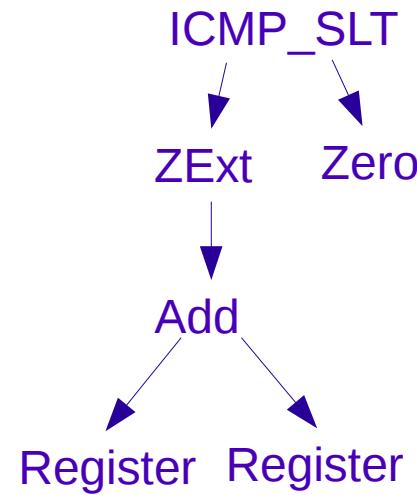
- Rule reduction

Repeatedly apply rules from a list.  
Search minimum of cost function.

Implement in LLVM's  
InstructionSimplify analysis

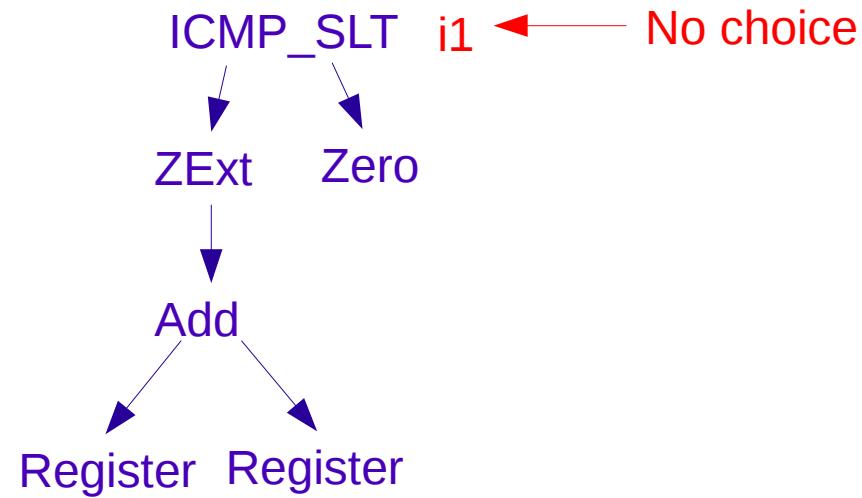
Implement in LLVM's  
InstCombine transform

# Constant folding



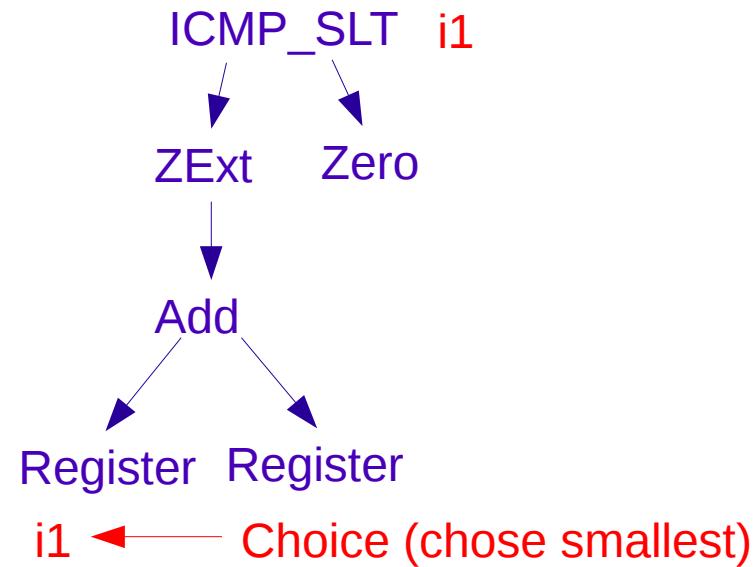
- Assign types to nodes

# Constant folding



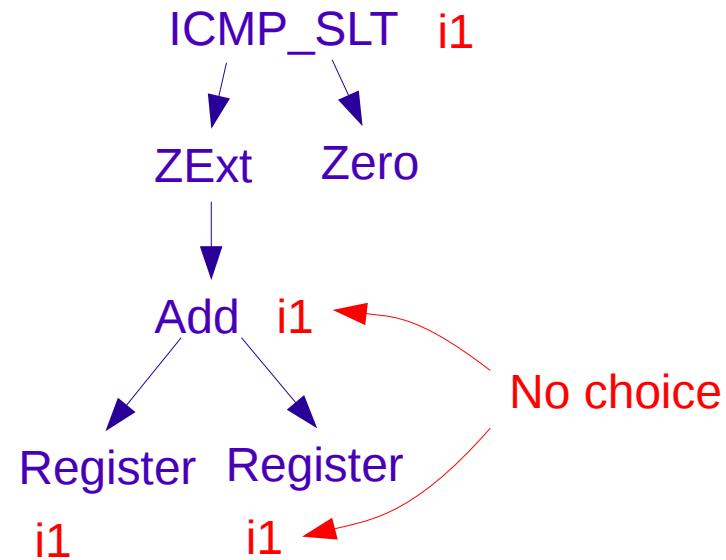
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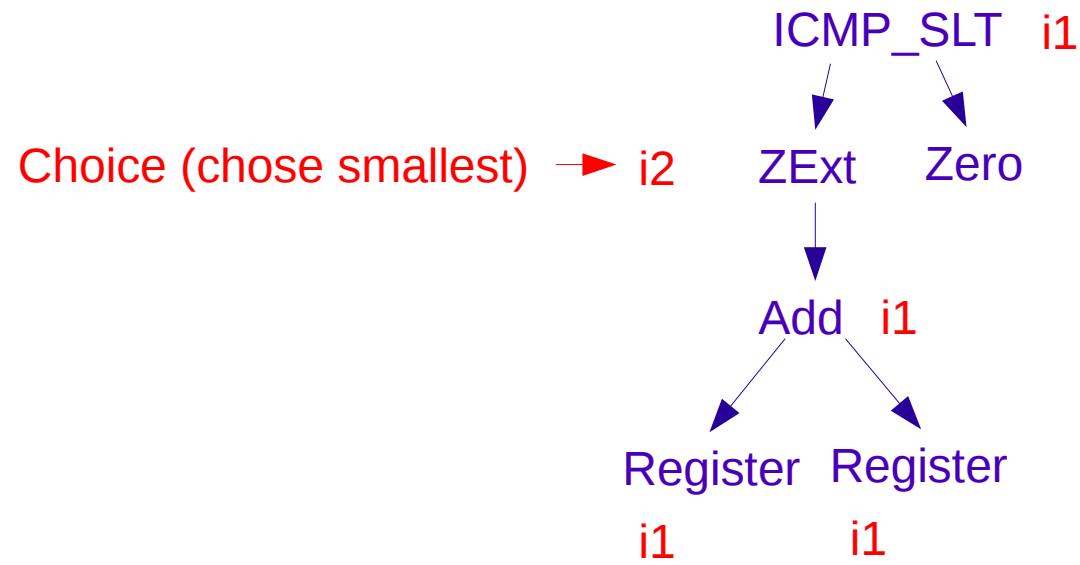
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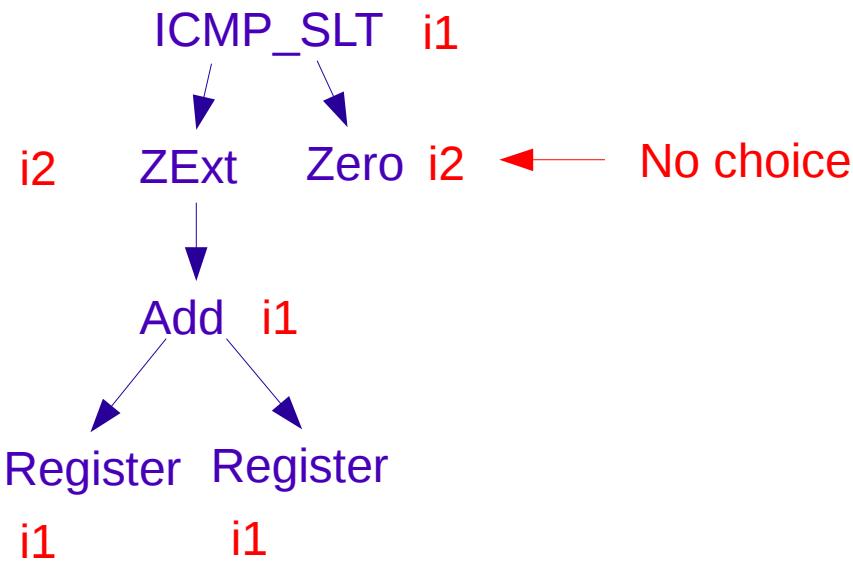
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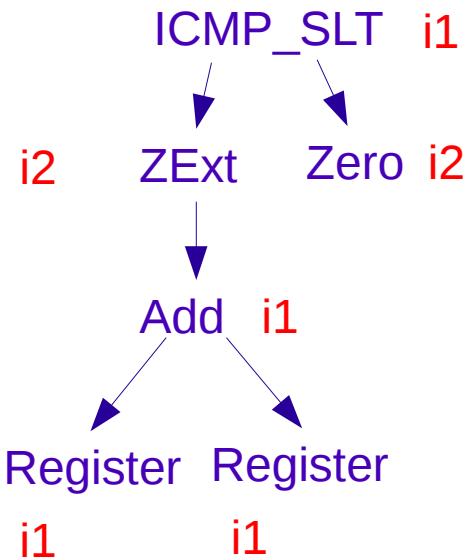
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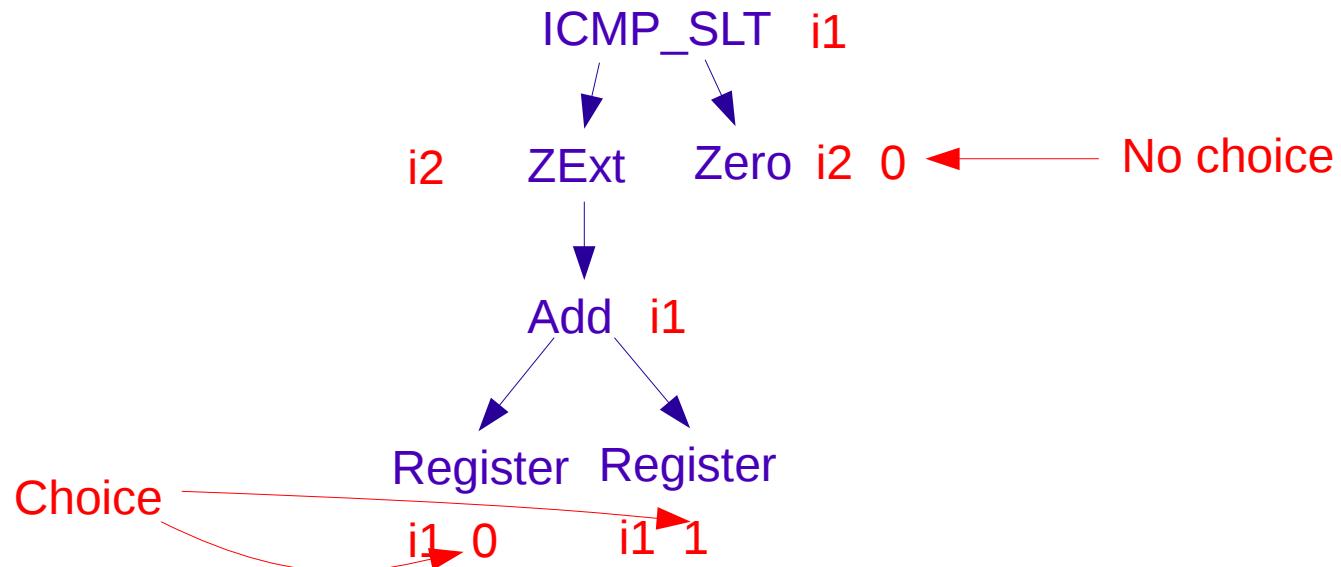
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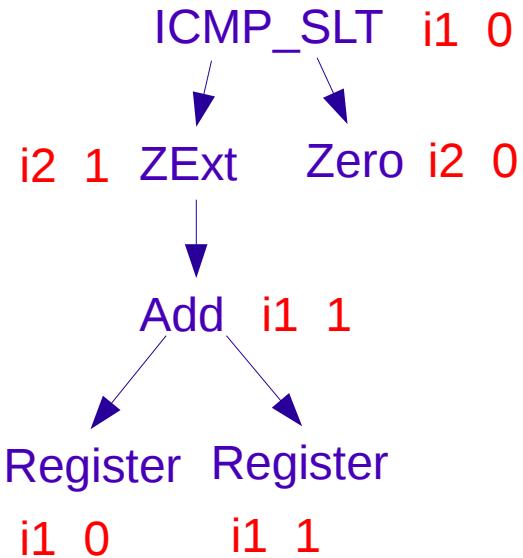
- Assign types to nodes  
Strategies: (1) Random choice; (2) All small types.

# Constant folding



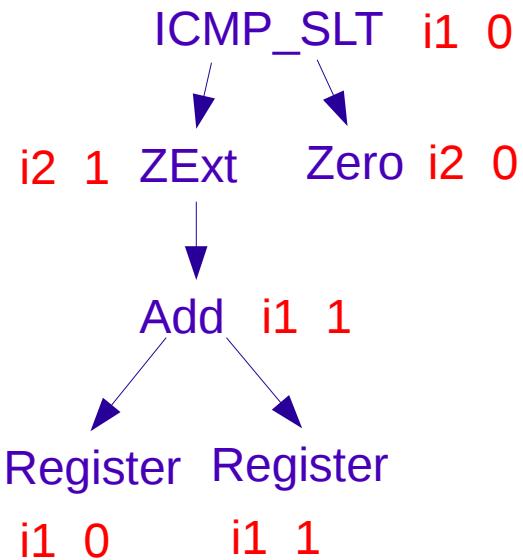
- Assign types to nodes  
Strategies: (1) Random choice; (2) All small types.
- Assign values to terminal nodes & propagate up

# Constant folding



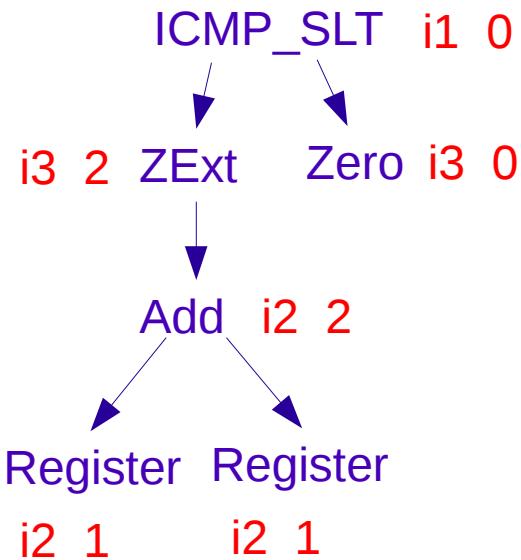
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# Constant folding



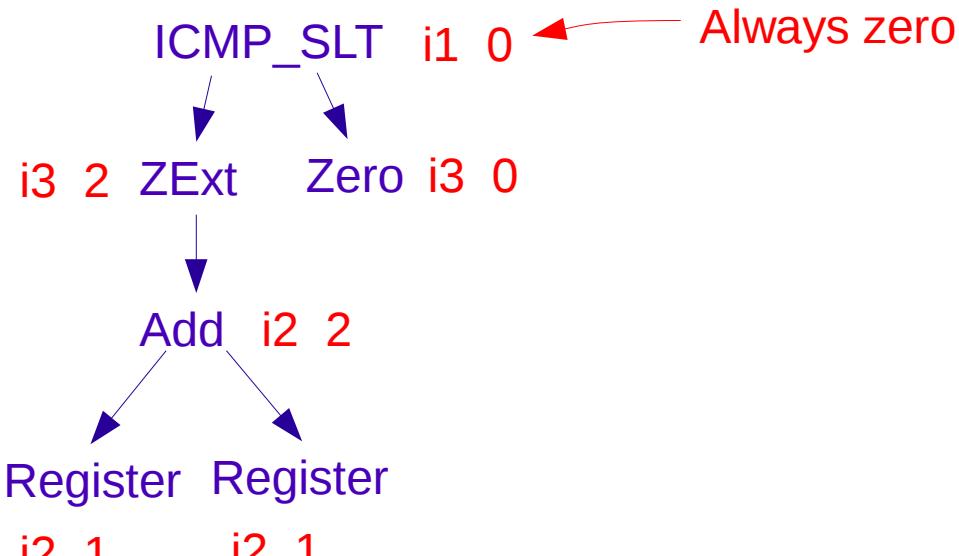
- Assign types to nodes  
Strategies: (1) Random choice; (2) All small types.
- Assign values to terminal nodes & propagate up  
Strategies: (1) Random inputs; (2) Every possible input.

# Constant folding



- Assign types to nodes Repeat many times  
Strategies: (1) Random choice; (2) All small types.
- Assign values to terminal nodes & propagate up  
Strategies: (1) Random inputs; (2) Every possible input.

# Constant folding



- Assign types to nodes  
Strategies: (1) Random choice; (2) All small types.
- Assign values to terminal nodes & propagate up  
Strategies: (1) Random inputs; (2) Every possible input.
- Result at the root always the same  
→ found a constant fold

# False positives

Eg:  $A \mid (B + 1) \mid (C - 1) == 0$

# False positives

Mostly evaluates to “false”

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A, B and C have i8 type → 1 / 2<sup>24</sup> chance of seeing “true”

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A, B and C have i1 type → 1 / 8 chance of seeing “true”

# False positives

Mostly evaluates to “false”

Eg:  $A \mid (B + 1) \mid (C - 1) == 0$

A, B and C have i8 type  $\rightarrow 1 / 2^{24}$  chance of seeing “true”

A, B and C have i1 type  $\rightarrow 1 / 8$  chance of seeing “true”

Use of small types hugely reduces the number of false positives

# Examples

Constant folds found in “fully optimized” code:

- $((X + Y) \gg L \text{ power-of-two}) \& Z + \text{power-of-two} == 0 \rightarrow \text{false}$

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Constant folds found in “fully optimized” code:

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Implemented as: “non-negative-number + power-of-two != 0”

# Examples

Constant folds found in “fully optimized” code:

- $((X + Y) \gg L \text{ power-of-two}) \& Z + \text{power-of-two} == 0 \rightarrow \text{false}$
- $((X > s Y) ? X : Y) \geq s X \rightarrow \text{true}$

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Constant folds found in “fully optimized” code:

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- $((X > s Y) ? X : Y) \geq s X \rightarrow \text{true}$   
“ $\max(X, Y) \geq X$ ”. Implemented several max/min folds.

# Examples

Constant folds found in “fully optimized” code:

- $((X + Y) \gg L \text{ power-of-two}) \& Z + \text{power-of-two} == 0 \rightarrow \text{false}$
- $((X > s Y) ? X : Y) \geq s X \rightarrow \text{true}$
- $X \bmod (Y ? X : 1) \rightarrow 0$
- $(Y / u X) > u Y \rightarrow \text{false}$

# Examples

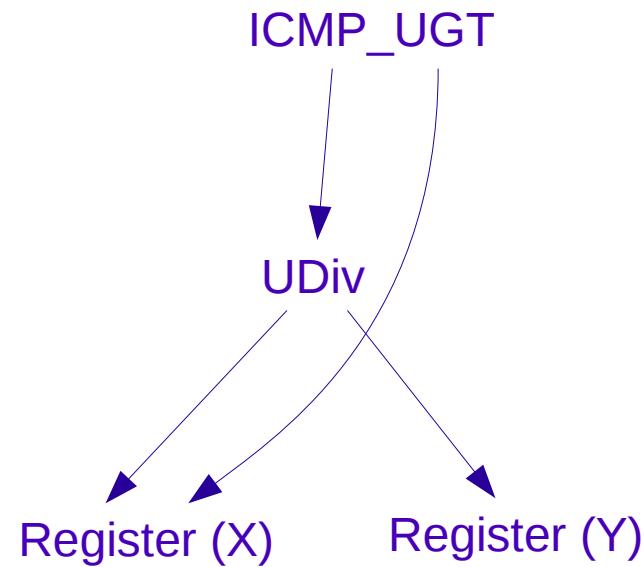
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Require reasoning about  
undefined behaviour

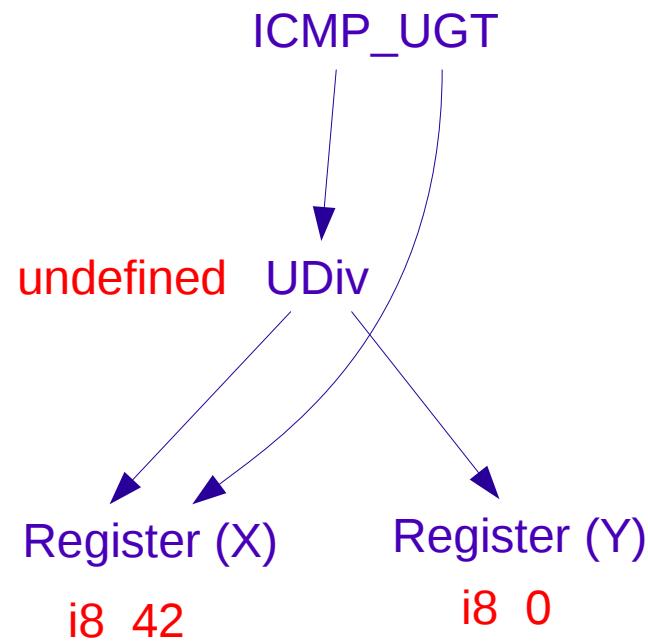
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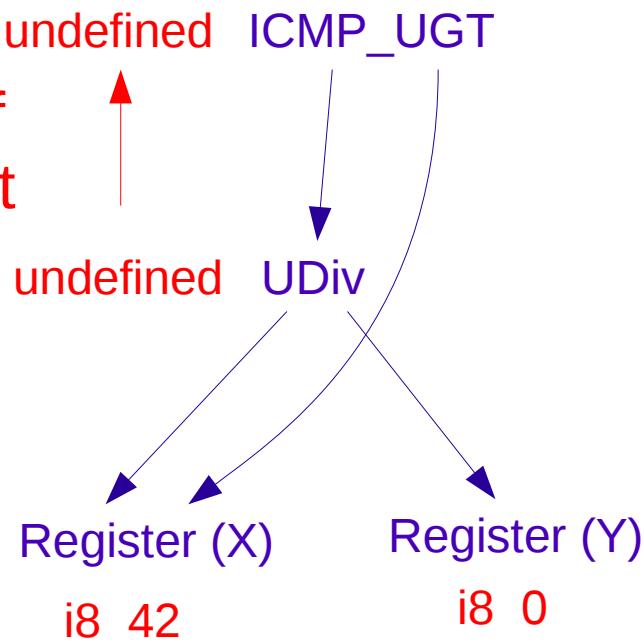
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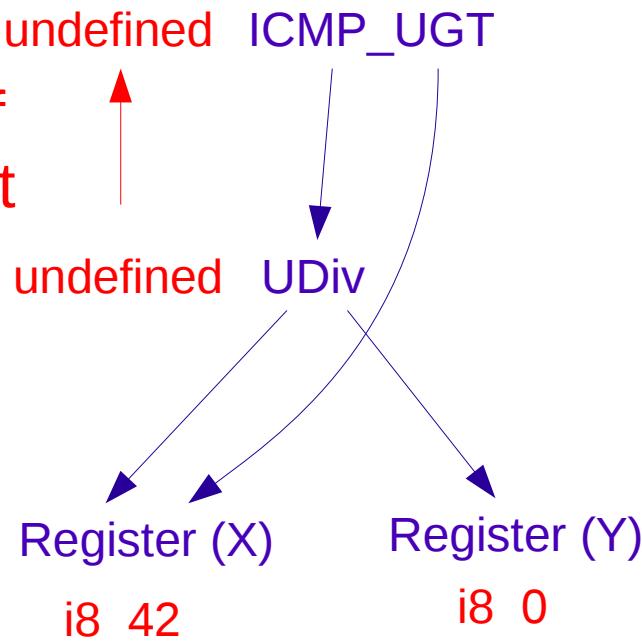
**Any operation with an undef operand gets an undef result**



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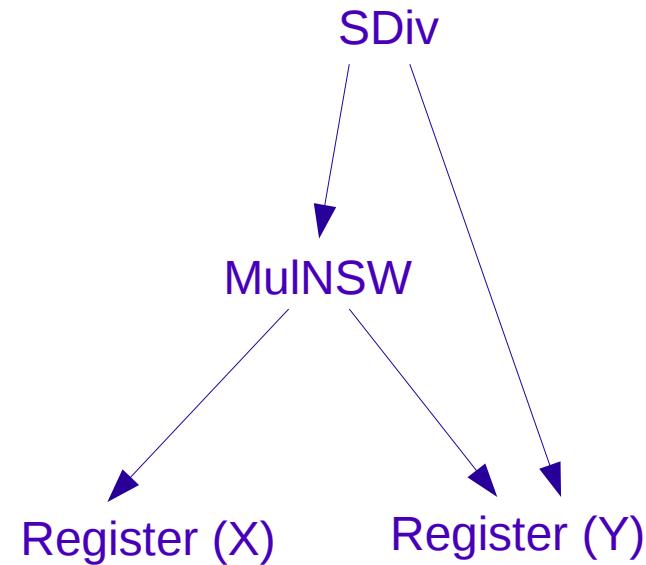
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- Avoids false negatives
- May result in subtle false positives

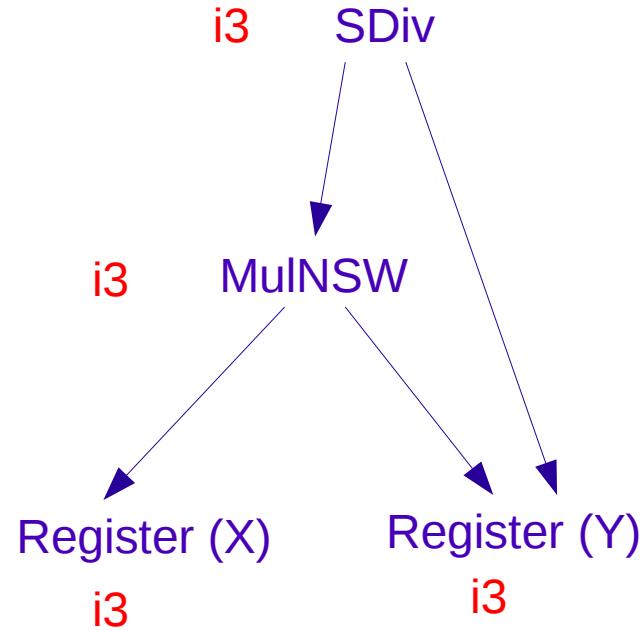
# Reduce to subexpression

$(X \text{ *nsw } Y) \text{ /s } Y \rightarrow X$



# Reduce to subexpression

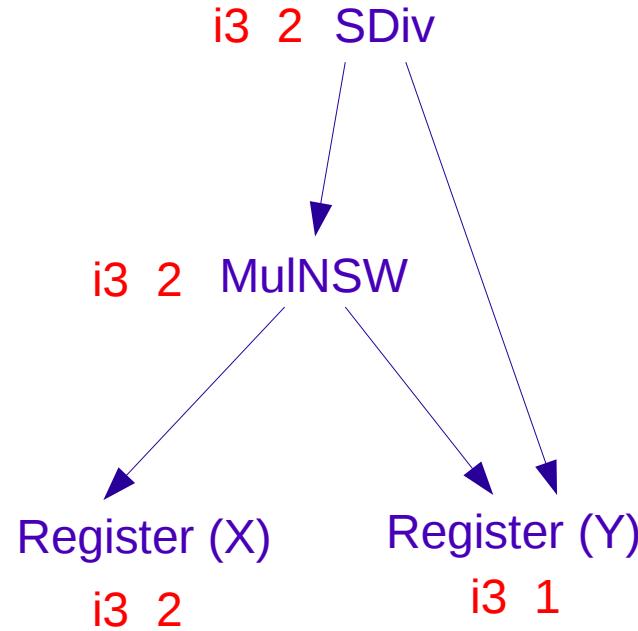
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- Assign types to nodes  
Strategies: (1) Random choice; (2) All small types.

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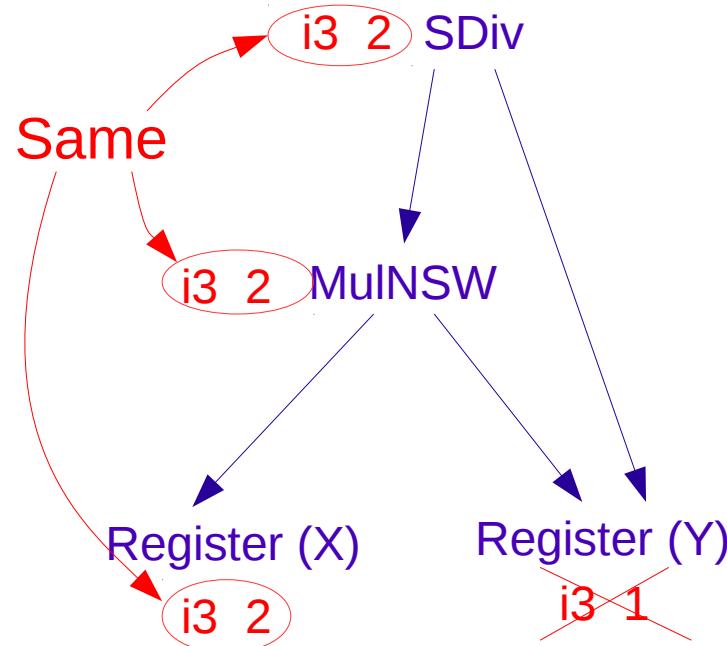
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Strategies: (1) Random inputs; (2) Every possible input.

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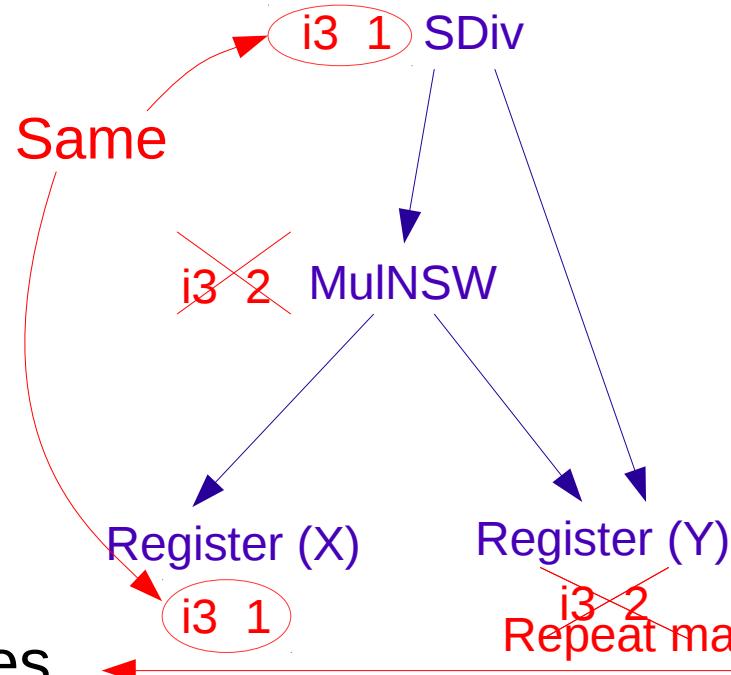
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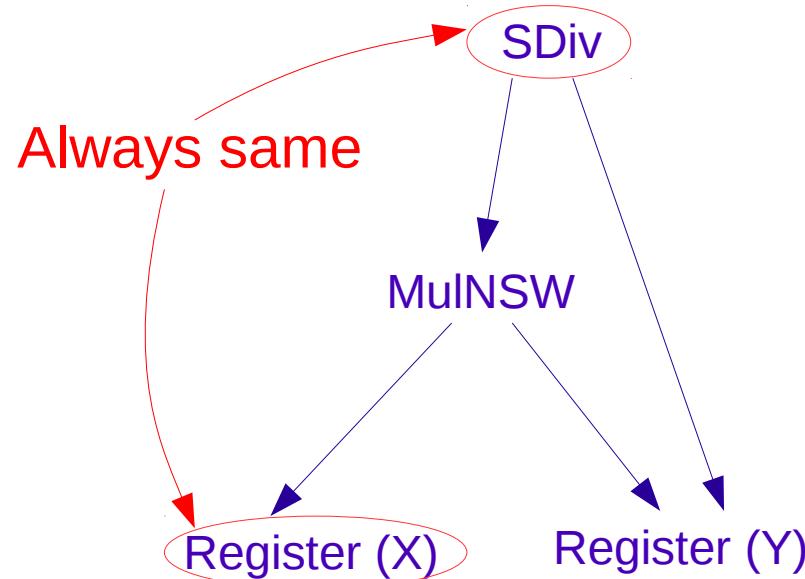
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→ found a subexpression reduction

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$(X *nsw Y) /s Y \rightarrow X$



Is this always a win?

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$W = Z /s Y$   
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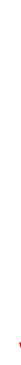
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call @foo(W, Y, Z)

Two registers needed (for Y, Z)



# Register pressure

$(X \text{ *nsw } Y) /s Y \rightarrow X$

Is this always a win?

$Z = X \text{ *nsw } Y$

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Transform:  $W \rightarrow X$

$W = Z /s Y$   
call @foo(W, Y, Z)

... W not computed ...  
call @foo(X, Y, Z)

# Register pressure

$(X *nsw Y) /s Y \rightarrow X$



Is this always a win?

Three registers needed (for X, Y, Z)     $Z = X *nsw Y$



...

... W not computed ...  
call @foo(X, Y, Z)

# Register pressure

$(X *nsw Y) /s Y \rightarrow X$  ← Is this always a win?

Transform increases the number of long lived registers by one.  
May require spilling to the stack.

# Unused variables

X +nsw Z >=s Z +nsw Y

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Detect similarly to constant folding etc.

# Examples

Unused variables found in “fully optimized” code:

- $X \geq X + nsw Y$
- $((X + Y) + -1) == X$
- $Y >> exact X == 0$
- $Y << nsw X == 0$

X is unused

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Transforms to:  $A * C + A * D == 0$

Requires computing A\*C, A\*D etc.

# Rule reduction

Requires a list of rules, eg:

```
rule (0 And 1) => (1 And 0);          // Commutativity
rule (0 And AllBitsSet) <=> 0;        // AllBitsSet is And-identity
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Cost: 22

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$(X \& Y) | Y$  Cost: 22  
 $(X \& Y) | (Y \& AllOnesValue)$  Cost: 30



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$Y$  Cost: 3



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Time: 1 minute

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Time: 1 minute

SubExpr: 0.05 secs

$(X \& Y)   Y$	Cost: 22
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AllOnesValue & Y	Cost: 11
	Cost: 3

UnusedVar: 0.08 secs

Y

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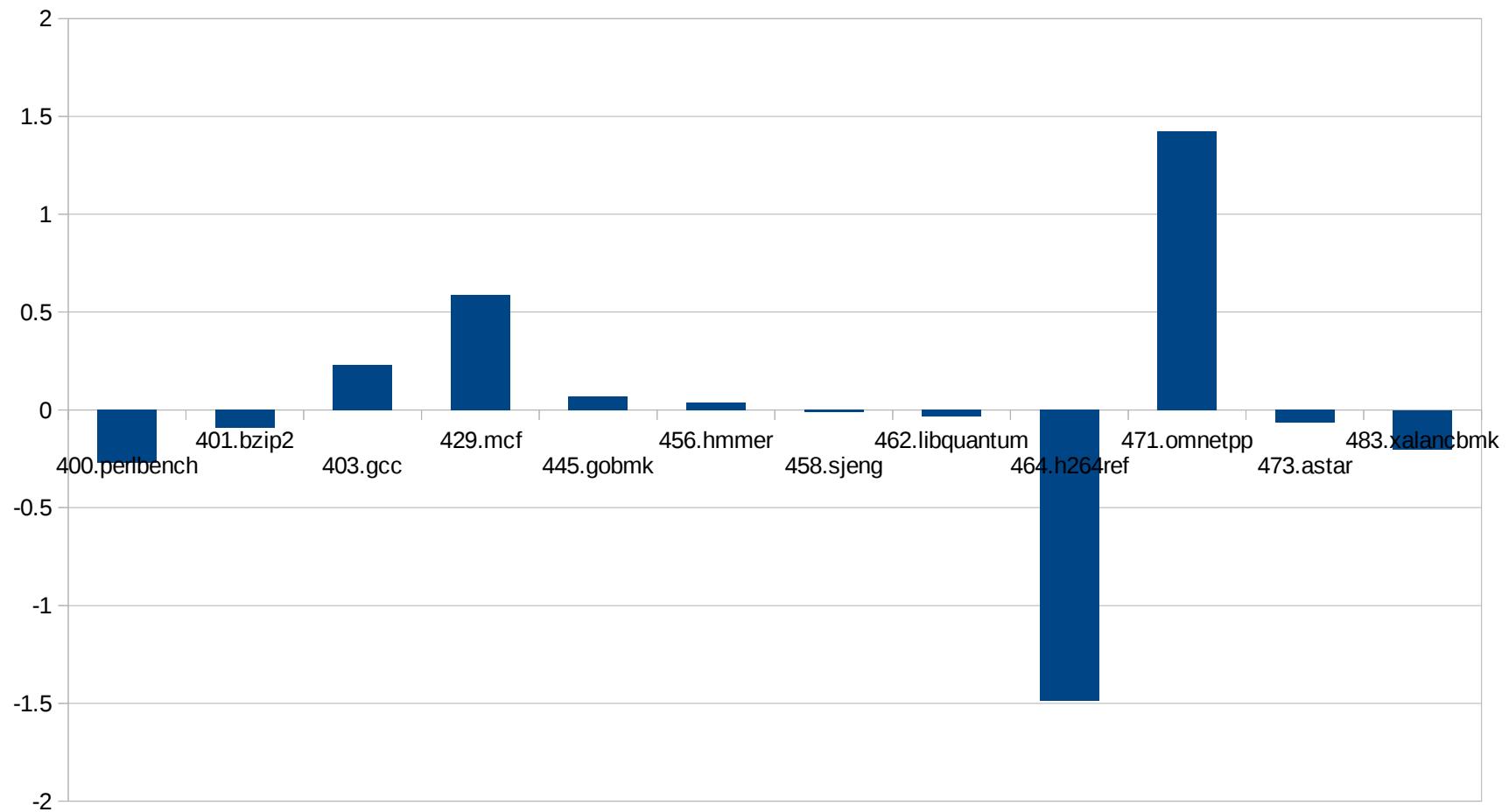
Needs more work!

(zext X) + power-of-two == 0 → false

# Profit!

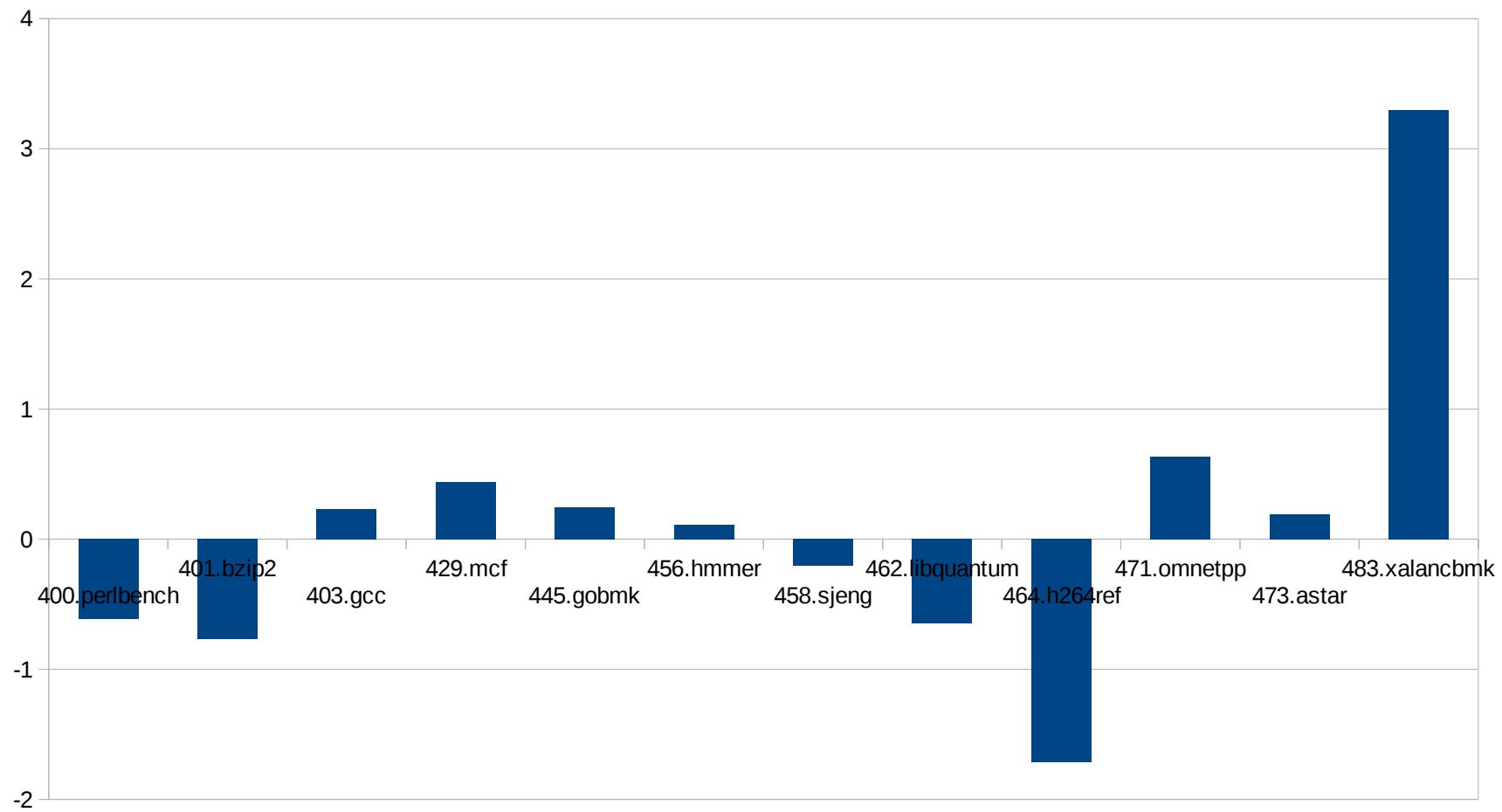
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# Profit?!

Approximate % speed-up: constant folds & reduce to sub-expr:



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- Work directly with LLVM IR

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```
define i64 @combine(i64 %x) { ← Simplifies to: ret %x
    %xl = trunc i64 %x to i32
    %h = lshr i64 %x, 32
    %xh = trunc i64 %h to i32
    %eh = zext i32 %xh to i64
    %el = zext i32 %xl to i64
    %h2 = shl i64 %eh, 32
    %r = or i64 %h2, %el
    ret i64 %r
}
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```
define i64 @combine(i64 %x) { ← Simplifies to: ret %x
    %xl = trunc i64 %x to i32   Impossible to find, due to
    %h = lshr i64 %x, 32        • Type-free expressions
    %xh = trunc i64 %h to i32   • Limited number of constants
    %eh = zext i32 %xh to i64
    %el = zext i32 %xl to i64
    %h2 = shl i64 %eh, 32
    %r = or i64 %h2, %el
    ret i64 %r
}
```

((zext (trunc (X >>I pow-2)))  
  << pow-2) | (zext (trunc X))

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(Constant folding, subexpression reduction, unused variables)  
  
How to avoid many false positives?
- Sort expressions by execution frequency rather than textual frequency  
  
Eg: generate fake debug info using the encoded expression for the “function”.  
  
Hottest “functions” reported by profiling tools are the hottest expressions!

# Getting it

`svn://topo.math.u-psud.fr/harvest`