

TSLP

Throttling Automatic Vectorization: When Less is More

Vasileios Porpodas and Timothy M. Jones

University of Cambridge

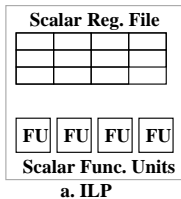
LLVM Developer's Meeting 2015



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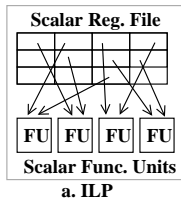
Why SIMD Vectorization?

- Scalable parallelism



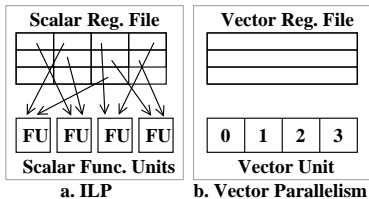
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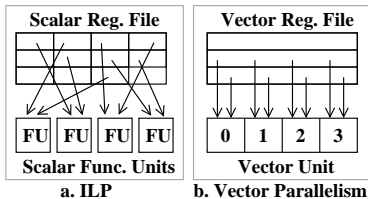
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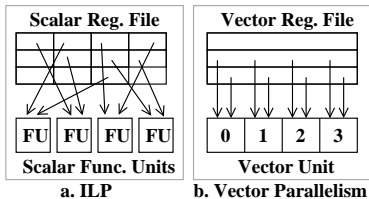
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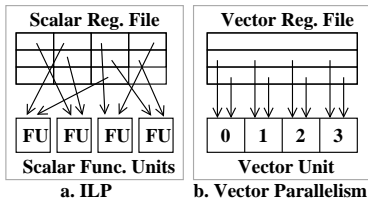
Why SIMD Vectorization?

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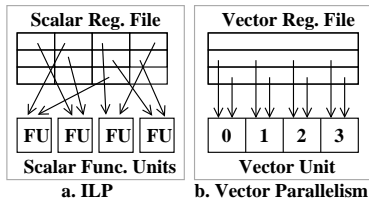
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- Energy efficiency



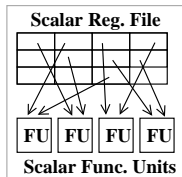
Why SIMD Vectorization?

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- High Performance
- Energy efficiency
- Supported since mid 90's
- Frequent updates of vector ISAs

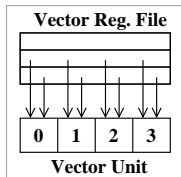


Why SIMD Vectorization?

- Scalable parallelism
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- Supported since mid 90's
- Frequent updates of vector ISAs
- Vector generation not done in hardware
- Low-level programming or capable compiler



a. ILP



b. Vector Parallelism



SLP Straight-Line Code Vectorizer

- Superword Level Parallelism [Larsen PLDI'00]

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- **In theory** it should be a superset of loop-vectorizer
 - Unroll loop and vectorize with SLP
 - Even if loop-vectorizer fails, SLP could partly succeed
- **In practice** it is missing features present in the Loop vectorizer (Interleaved Loads, Predication)

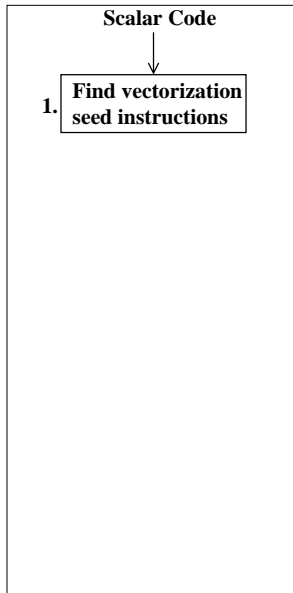
SLP Vectorization Algorithm

- Input is scalar IR

Scalar Code

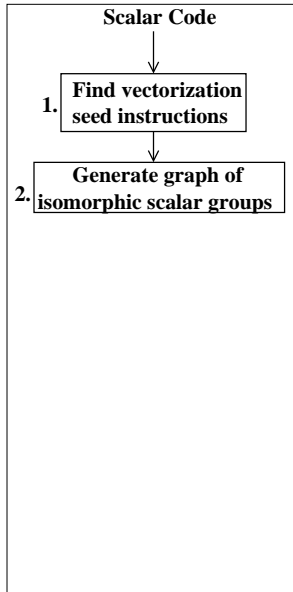
SLP Vectorization Algorithm

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- Seed instructions are:
 - ① Consecutive Stores
 - ② Reductions



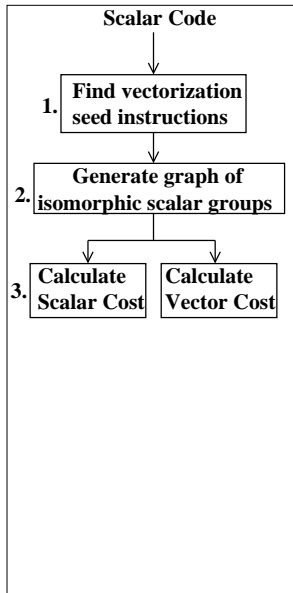
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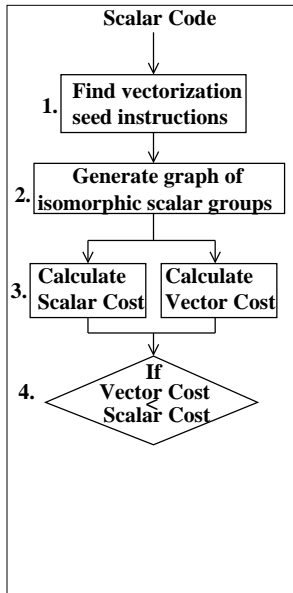
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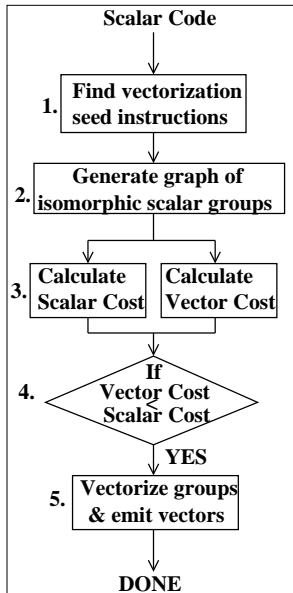
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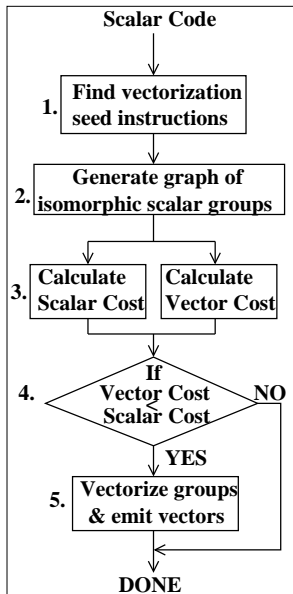
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When SLP is not profitable

- Costs outweigh the benefits: E.g. too many gather/scatter instructions

Original	Vectorized
ADD1	
ADD2	
ADD3	
ADD4	

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Original	Vectorized				
ADD1	Insert1				
ADD2	Insert2				
ADD3	Insert3				
ADD4	Insert4				
	<table border="1"><tr><td>ADD1</td><td>ADD2</td><td>ADD3</td><td>ADD4</td></tr></table>	ADD1	ADD2	ADD3	ADD4
ADD1	ADD2	ADD3	ADD4		
	Extract1				
	Extract2				
	Extract3				
	Extract4				

SLP not profitable for whole graph

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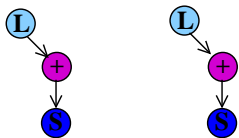
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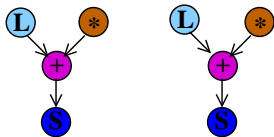
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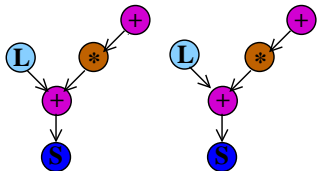
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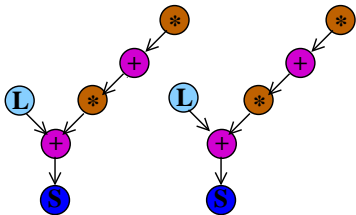
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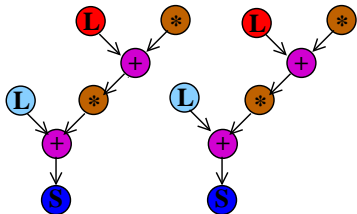
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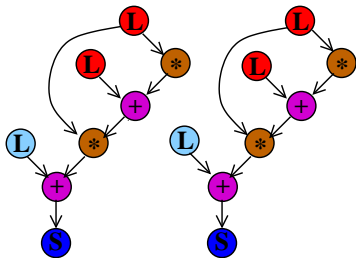
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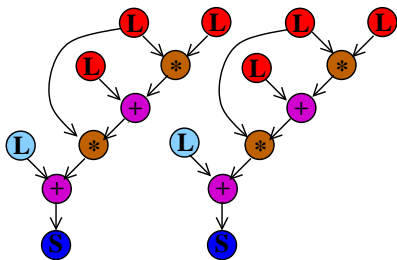
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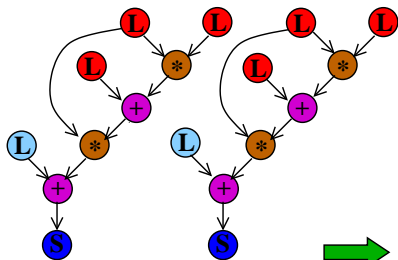
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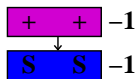
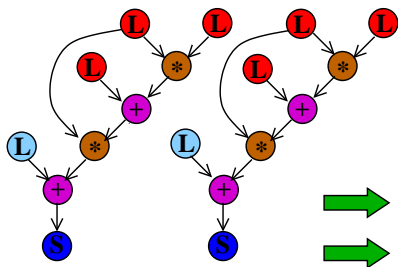


S S -1

Total Cost: -1

SLP not profitable for whole graph

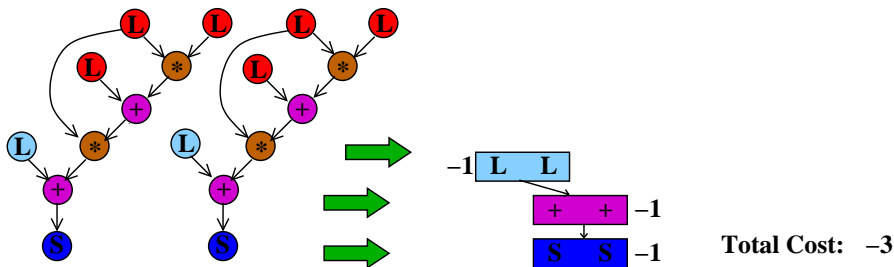
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Total Cost: -2

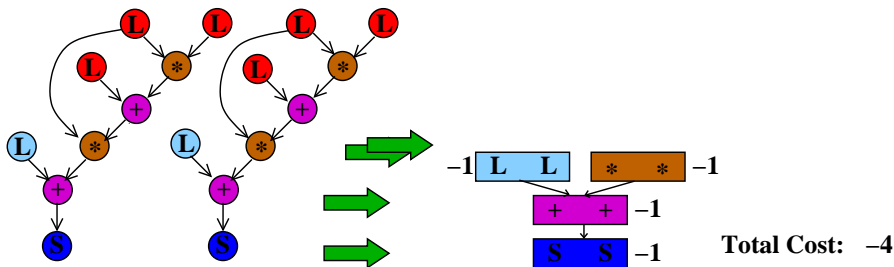
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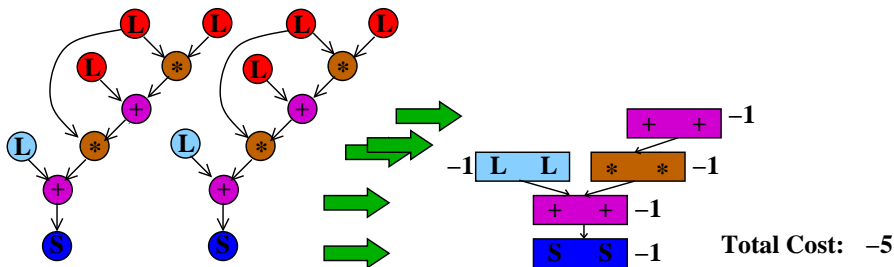
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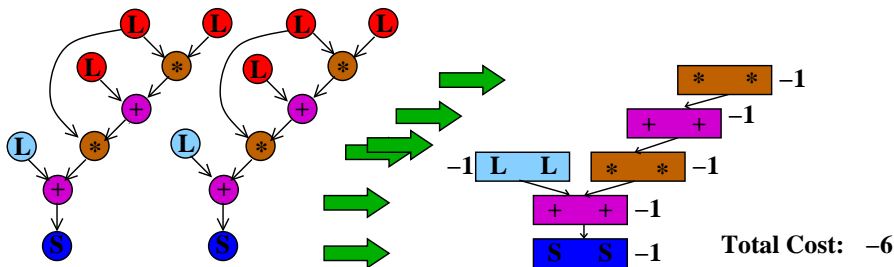
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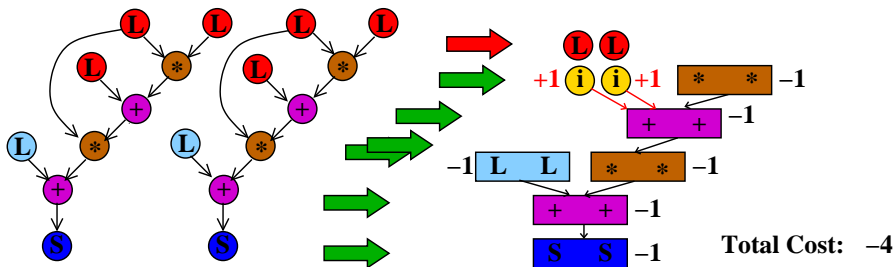
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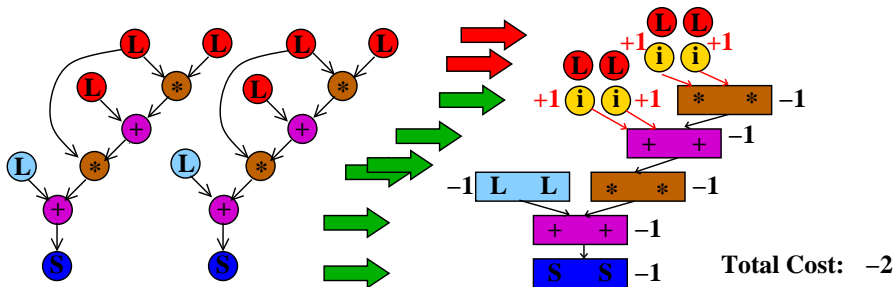
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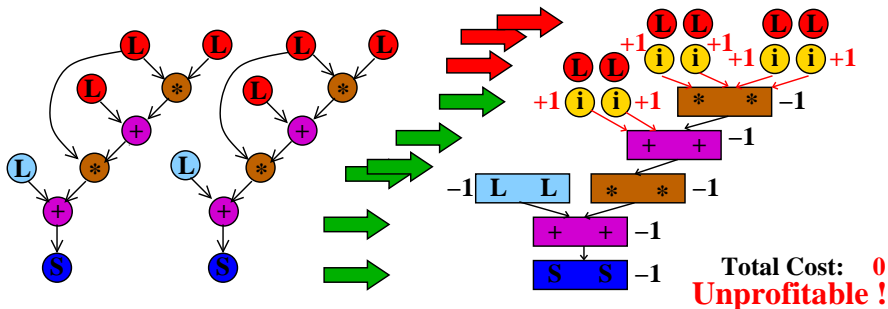
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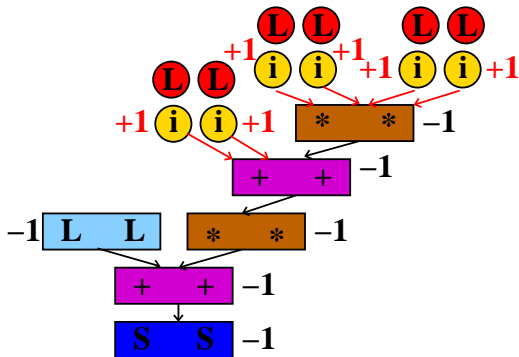
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TSLP removes unprofitable region

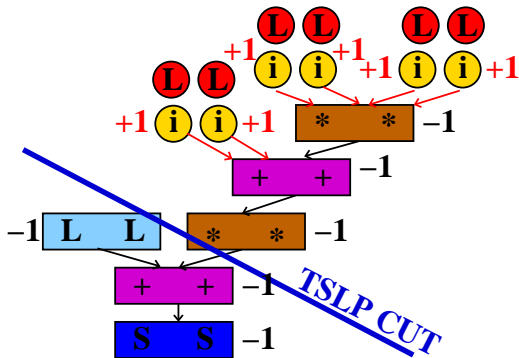
SLP



Total Cost: 0
Unprofitable!

TSLP removes unprofitable region

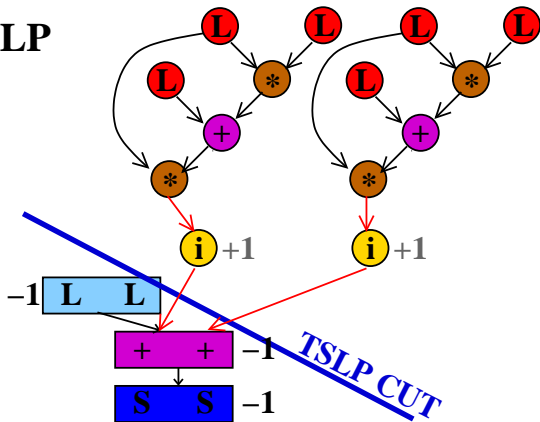
TSLP



Total Cost:

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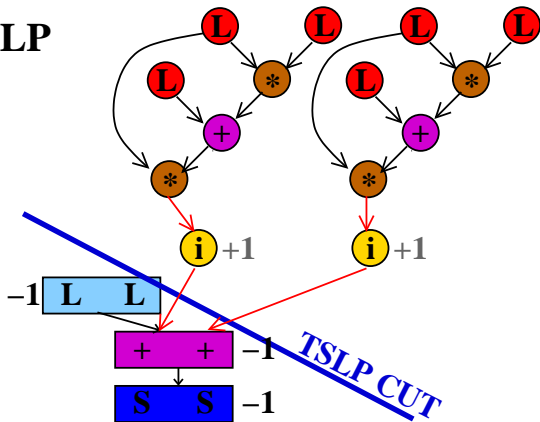
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Total Cost:

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TSLP



Total Cost: -1
Profitable !

TSLP Algorithm

- Extension to SLP

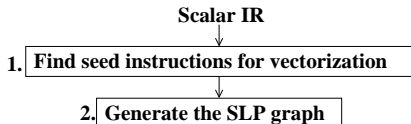
Scalar IR



1. Find seed instructions for vectorization

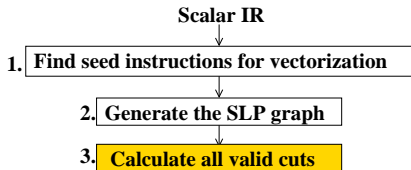
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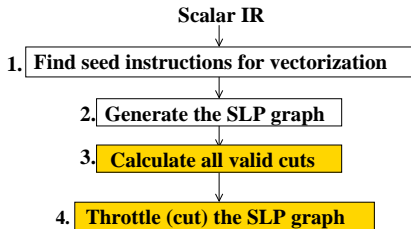
TSLP Algorithm

- Extension to SLP
- Try out many cuts



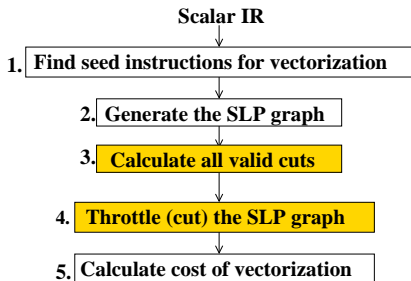
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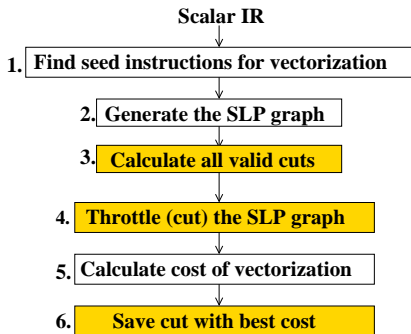
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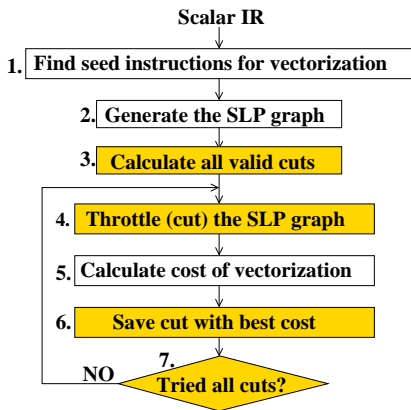
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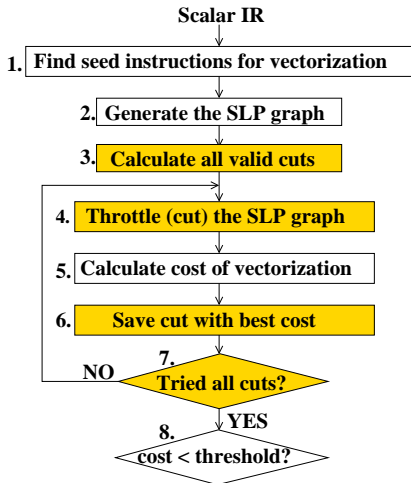
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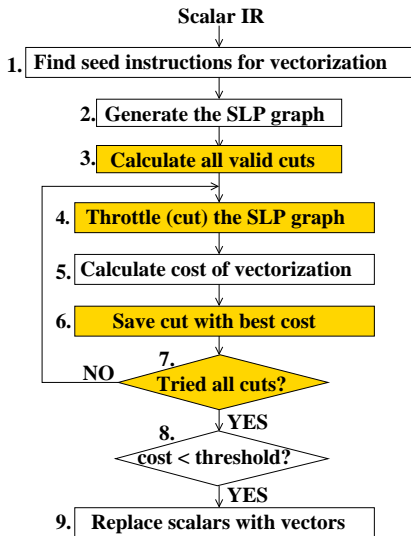
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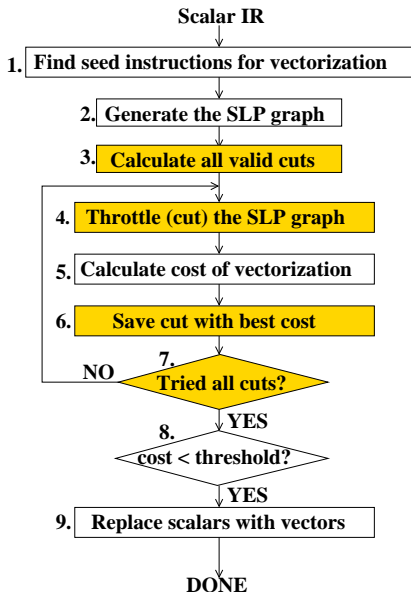
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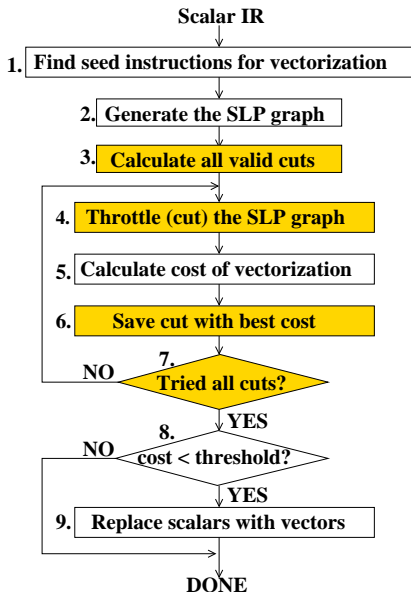
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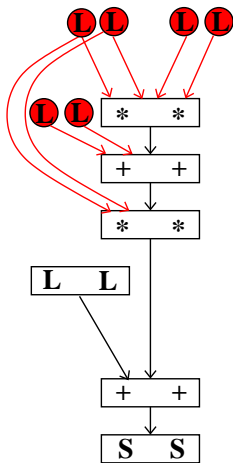


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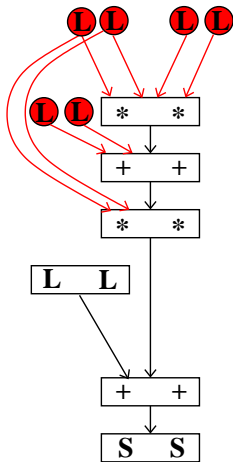
Cost calculation example



TotalCost

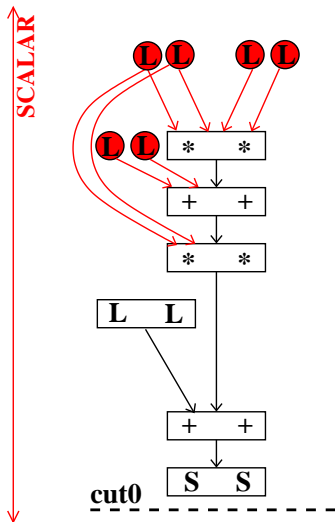
TotalCost	

Cost calculation example



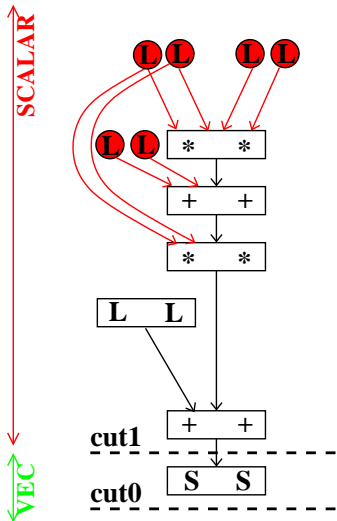
TotalCost	
Vector	
V+ S+G	-Scalar
-	18
-	18
-	18
-	18
-	18
-	18
-	18
-	18
-	18

Cost calculation example



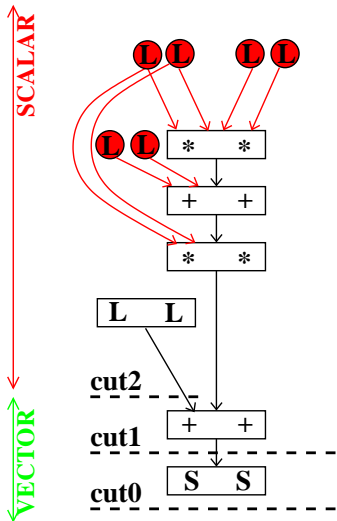
TotalCost	
<u>Vector</u>	
$\widehat{V + S + G}$ - Scalar	
- 18	
- 18	
- 18	
- 18	
- 18	
- 18	
- 18	
- 18	
$0 + 18 + 0 - 18 =$	0

Cost calculation example



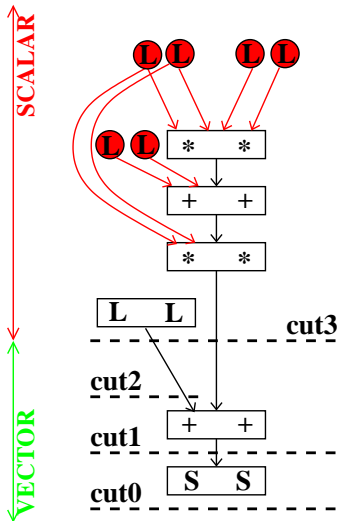
TotalCost	
Vector	
$\widehat{V + S + G}$ - Scalar	
- 18	
- 18	
- 18	
- 18	
- 18	
- 18	
- 18	
$1 + 16 + 2 - 18 =$	+1
$0 + 18 + 0 - 18 =$	0

Cost calculation example



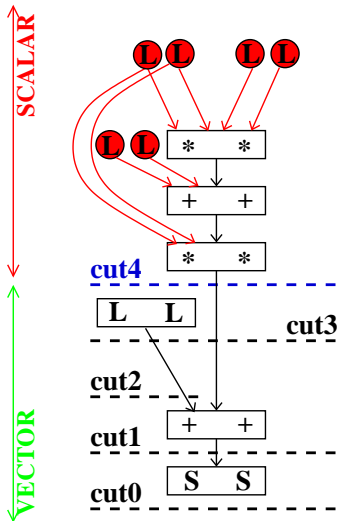
TotalCost	
Vector	
$\widehat{V + S + G} - \text{Scalar}$	
- 18	
- 18	
- 18	
- 18	
- 18	
- 18	
$5 + 8 + 8 - 18 =$	+3
$1 + 16 + 2 - 18 =$	+1
$0 + 18 + 0 - 18 =$	0

Cost calculation example



TotalCost	
Vector	
$\overline{V + S + G} - \text{Scalar}$	
- 18	
- 18	
- 18	
- 18	
$2 + 14 + 4 - 18 =$	+2
$5 + 8 + 8 - 18 =$	+3
$1 + 16 + 2 - 18 =$	+1
$0 + 18 + 0 - 18 =$	0

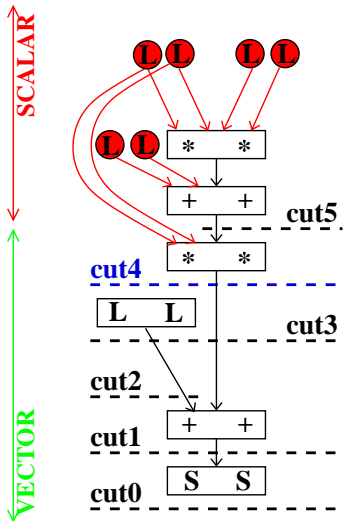
Cost calculation example



TotalCost	
Vector	
$\widehat{V + S + G} - \text{Scalar}$	
- 18	
- 18	
- 18	
$3 + 12 + 2 - 18 =$	-1
$2 + 14 + 4 - 18 =$	+2
$5 + 8 + 8 - 18 =$	+3
$1 + 16 + 2 - 18 =$	+1
$0 + 18 + 0 - 18 =$	0

TSLP

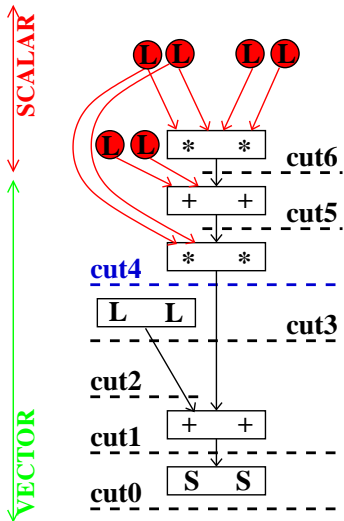
Cost calculation example



TotalCost	
Vector	
$\overline{V + S + G} - \text{Scalar}$	
	- 18
	- 18
$4 + 10 + 4 - 18 =$	0
$3 + 12 + 2 - 18 =$	-1
$2 + 14 + 4 - 18 =$	+2
$5 + 8 + 8 - 18 =$	+3
$1 + 16 + 2 - 18 =$	+1
$0 + 18 + 0 - 18 =$	0

TSLP

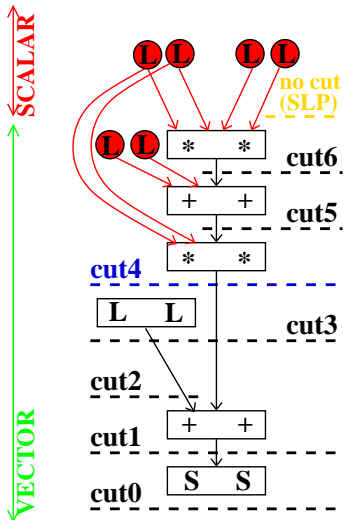
Cost calculation example



TotalCost	
Vector	
$\overline{V + S + G} - \text{Scalar}$	
$- 18$	
$5 + 8 + 6 - 18 =$	$+1$
$4 + 10 + 4 - 18 =$	0
$3 + 12 + 2 - 18 =$	-1
$2 + 14 + 4 - 18 =$	$+2$
$5 + 8 + 8 - 18 =$	$+3$
$1 + 16 + 2 - 18 =$	$+1$
$0 + 18 + 0 - 18 =$	0

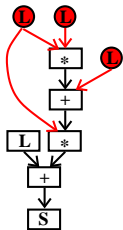
TSLP

Cost calculation example



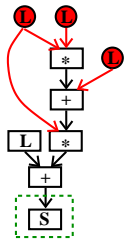
TotalCost		
Vector		
$V + S + G - \text{Scalar}$		
$6 + 6 + 6 - 18$	$= 0$	SLP
$5 + 8 + 6 - 18$	$= +1$	
$4 + 10 + 4 - 18$	$= 0$	TSLP
$3 + 12 + 2 - 18$	$= -1$	
$2 + 14 + 4 - 18$	$= +2$	
$5 + 8 + 8 - 18$	$= +3$	
$1 + 16 + 2 - 18$	$= +1$	
$0 + 18 + 0 - 18$	$= 0$	

Subgraph (Cuts) Generation Algorithm



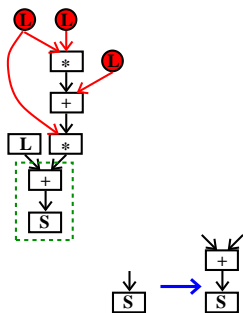
- Only connected subgraphs that include the root

Subgraph (Cuts) Generation Algorithm



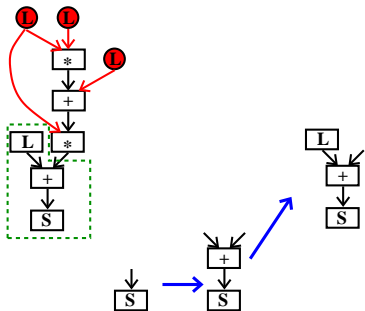
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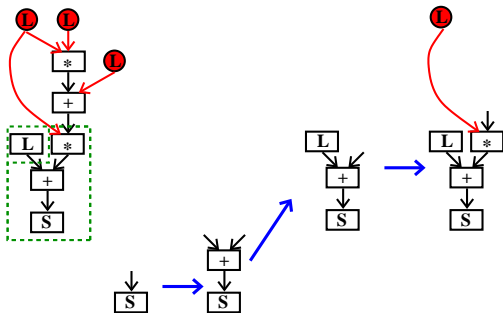
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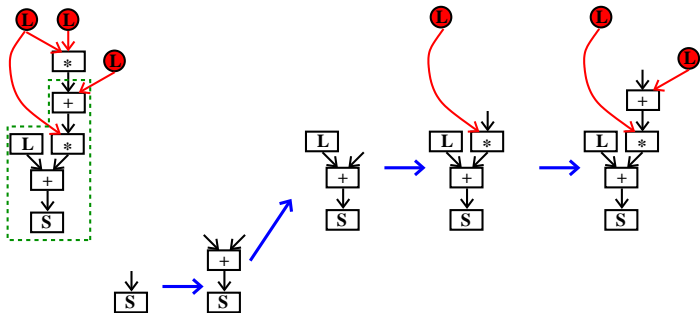
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Subgraph (Cuts) Generation Algorithm



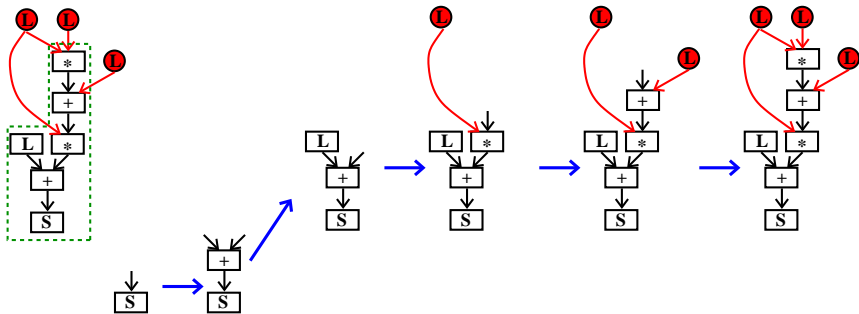
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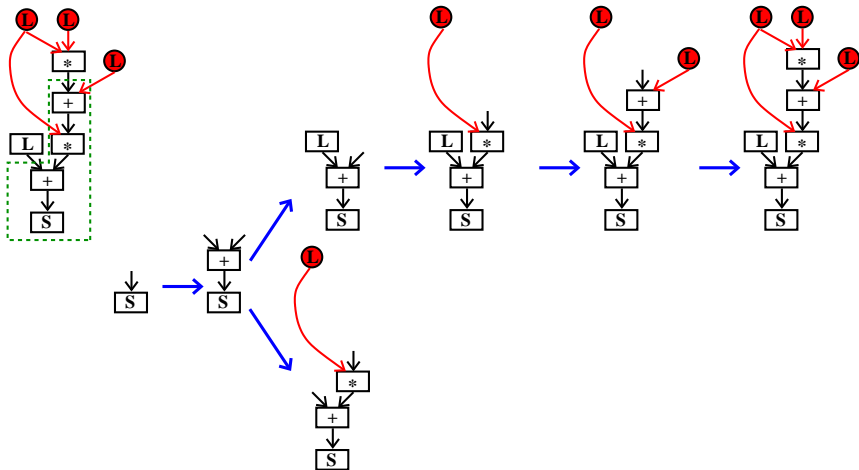
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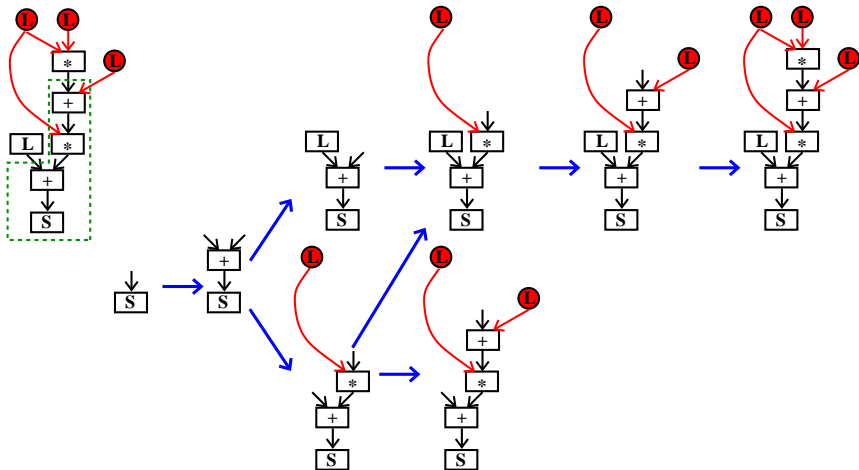
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Subgraph (Cuts) Generation Algorithm



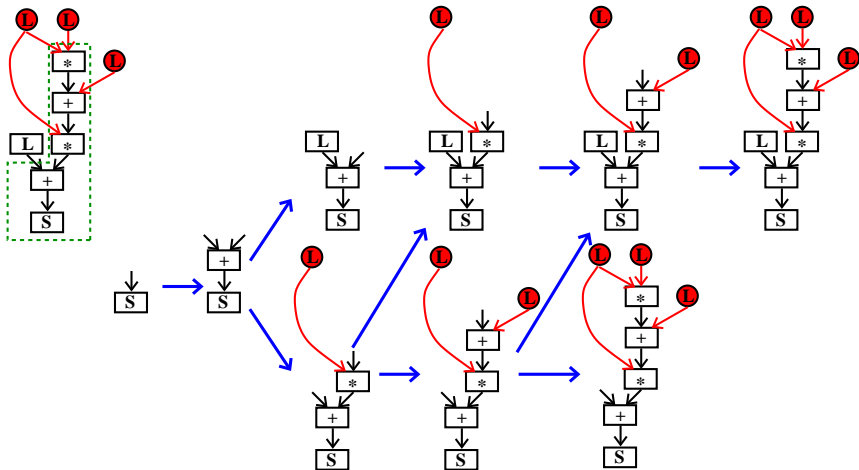
- Only connected subgraphs that include the root

Subgraph (Cuts) Generation Algorithm



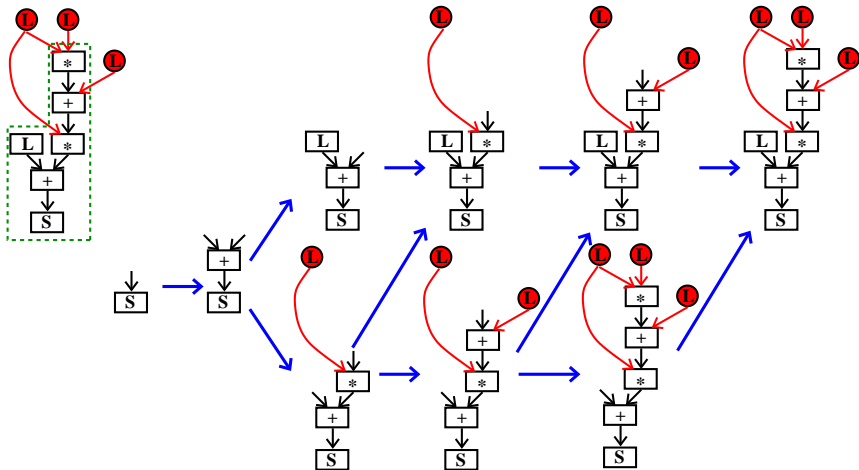
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Subgraph (Cuts) Generation Algorithm



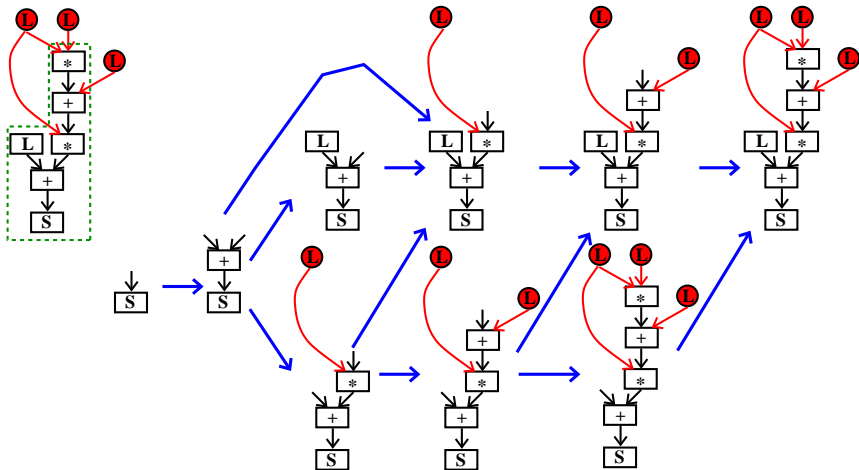
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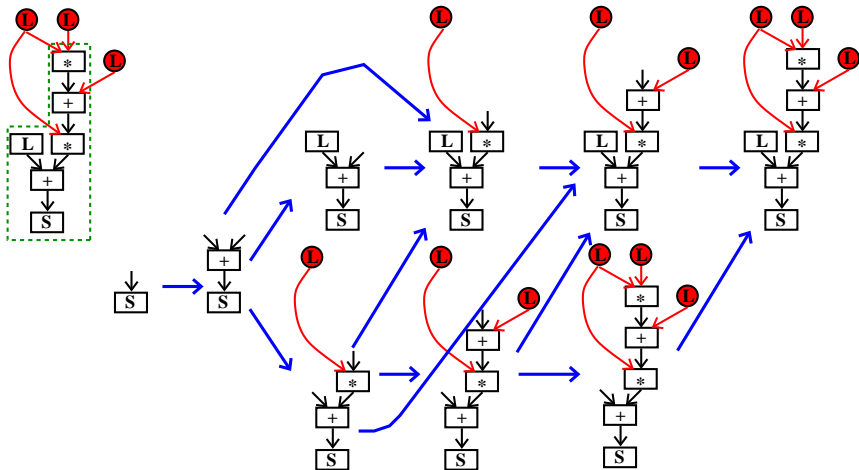
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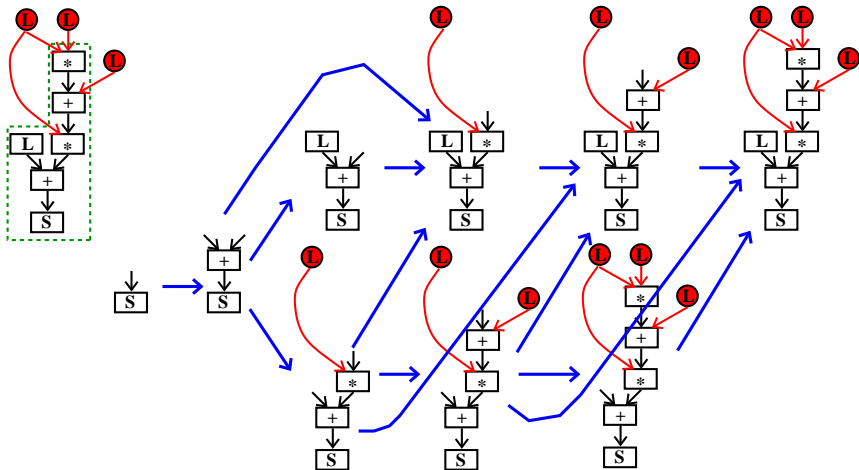
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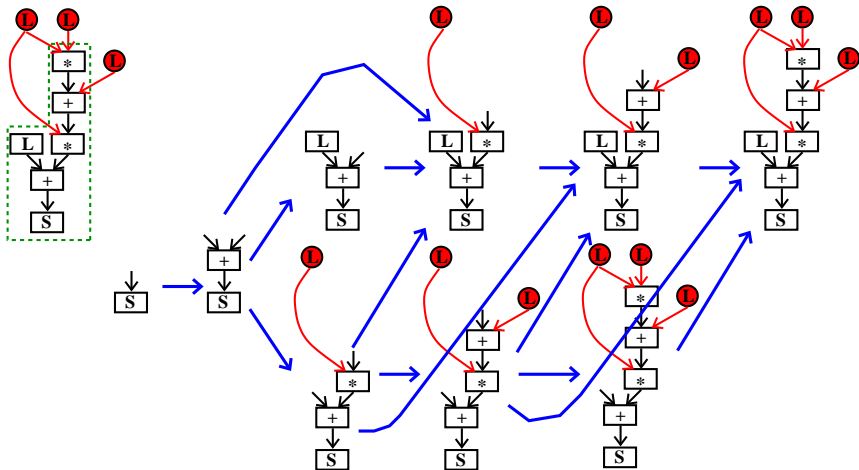
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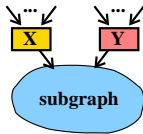
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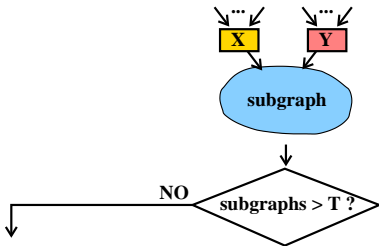


- Only connected subgraphs that include the root
- Worst time complexity $O(2^B \times N)$ (N =Nodes, B =Neighbors)

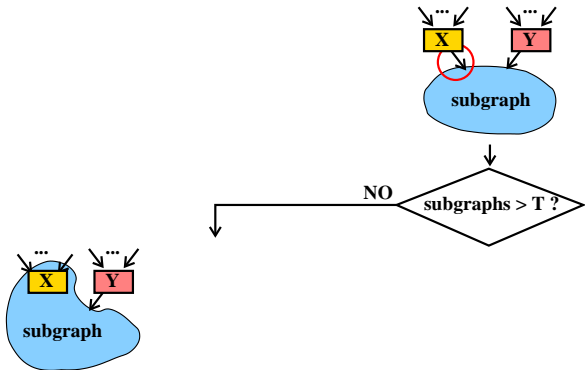
Fast Subgraph (Cuts) Generation Algorithm



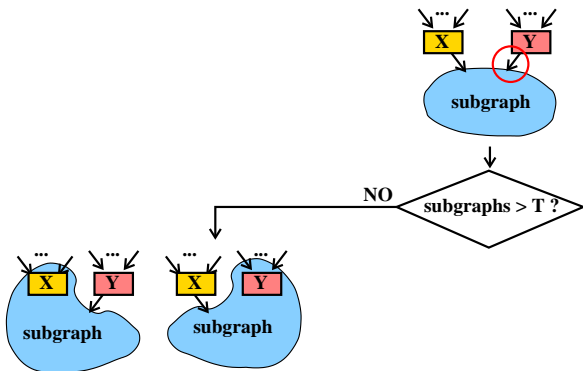
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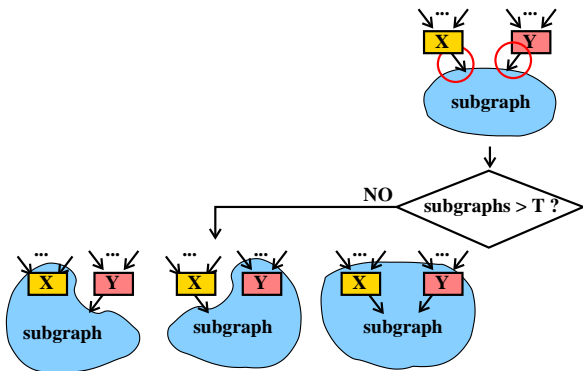
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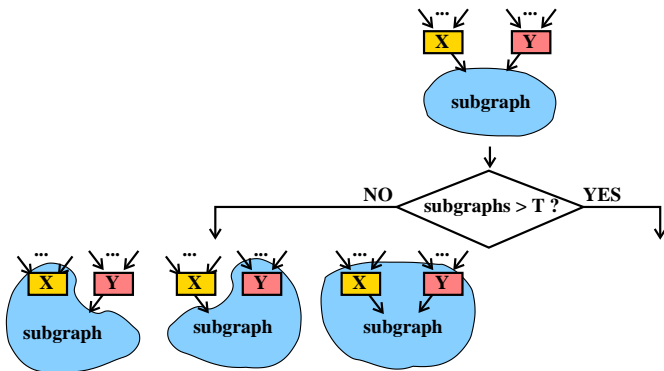
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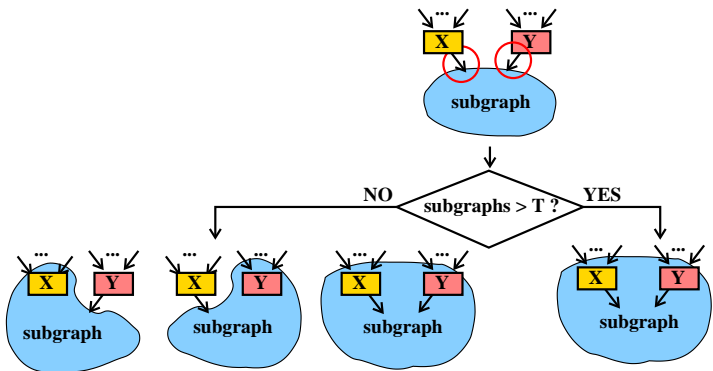


Fast Subgraph (Cuts) Generation Algorithm



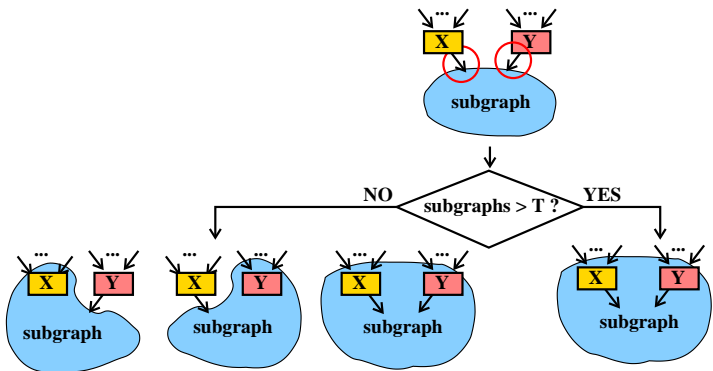
- After T subgraphs, attach all neighbors

Fast Subgraph (Cuts) Generation Algorithm



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- After T subgraphs, attach all neighbors
- Complexity reduced to linear $O(T + N)$

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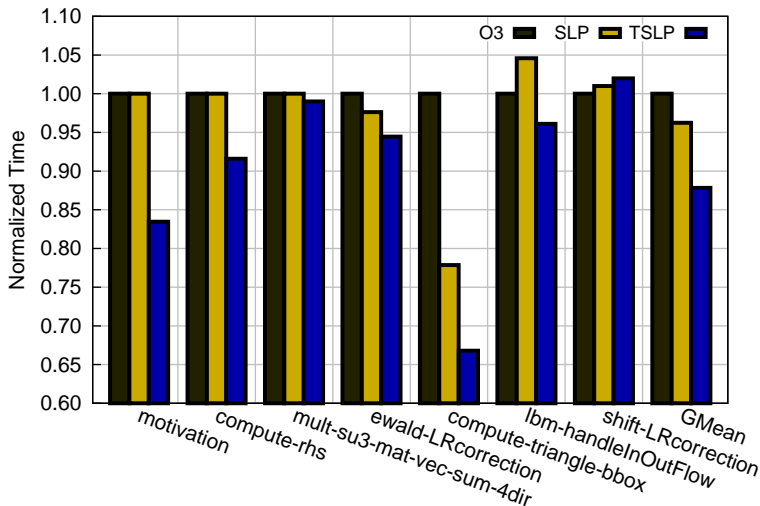
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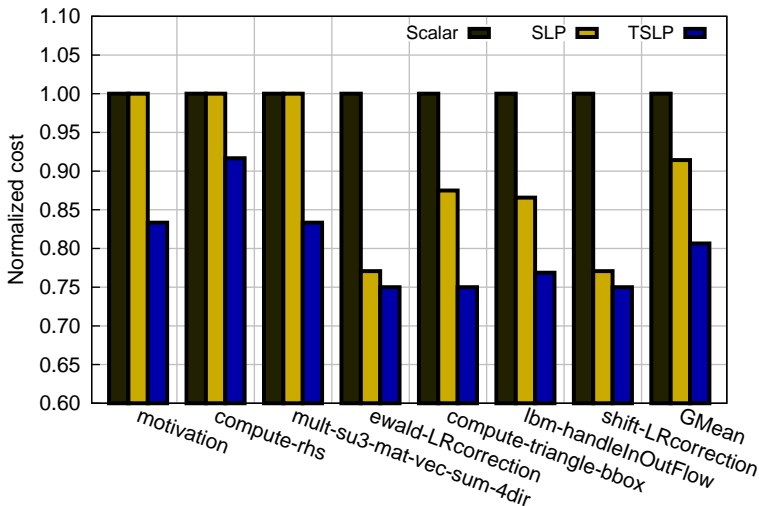
TSLP increases performance

Performance

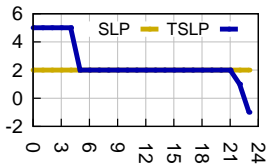


TSLP static cost savings

Avg. static Scalar, SLP and TSLP cost normalized to Scalar



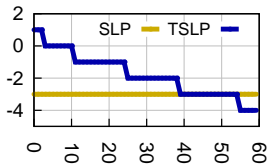
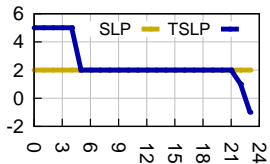
TSLP TotalCost exploration



mult-su3-mat-vec-sum

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TSLP TotalCost exploration

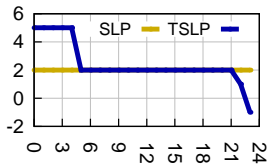


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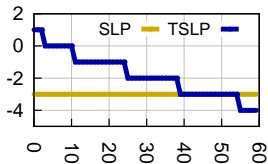
lbm-handleInOutFlow-3

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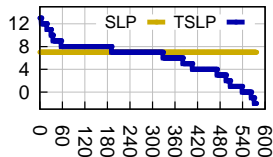
TSLP TotalCost exploration



mult-su3-mat-vec-sum



lbm-handleInOutFlow-3



lab-handleInOutFlow-5

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- SLP profitable, but TSLP more profitable
- TSLP exploration gradually improves cost

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- PACT'15 paper:
<http://www.cl.cam.ac.uk/~vp331/>